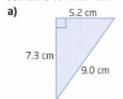
Solutions

1. Find sin θ , cos θ , and tan θ for each triangle, expressed as fractions in lowest terms. $sin(\theta) = opp/hyp$ $\cos(\theta) = \frac{10}{10}$ cos(θ) = adj/hyp $\tan(\theta) = \frac{10}{24}$ 12 m $\sin(\theta) = 8.9/12 = 89/120$ $sin(\theta) = 24/26 = 12/13$ $cos(\theta) = 8/12 = 2/3$ $cos(\theta) = 10/26 = 5/13$ $tan(\theta) = 8.9/8 = 89/80$ $tan(\theta) = 24/10 = 12/5$ $sin(\theta) = 2/5.4 = 10/27$ $sin(\theta) = 11/17$ $cos(\theta) = 5/5.4 = 25/27$ $cos(\theta) = 13/17$ $tan(\theta) = 2/5$ $tan(\theta) = 11/13$

 Find the three primary trigonometric ratios for ∠A, to four decimal places.



$$sin(A) = 5.2/9$$

= 0.5778

$$cos(A) = 7.3/9$$

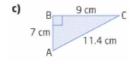
= 0.8111

$$tan(A) = 5.2/7.3$$

= 0.7123

$$sin(\theta) = opp/hyp$$

SOHCAHTOA



$$sin(A) = 9/11.4$$

= 0.7895

$$cos(A) = 7/11.4$$

= 0.6140

$$tan(A) = 9/7$$

= 1.2857

$$cos(\theta) = adj/hyp$$

e) A 14.9 cm

$$sin(A) = 11/14.9$$

= 0.7383

$$cos(A) = 10/14.9$$

= 0.6711

$$tan(A) = 11/10$$

= 1.1000

$$tan(\theta) = opp/adj$$

Evaluate each of the following with a calculator, rounded to four decimal places.

- b) cos 45°
- b) 0.7071
- d) cos 60°
- d) 0.5000
- f) cos 0°h) cos 83°
- f) 1.0000
- h) 0.1219

Recall:

Not all scientific calculators work the same way. With some, you press

TAN 25 =

With others, you press

On a graphing calculator, press

Make sure your calculator

is in degree mode.

Obviously, TAN could be SIN or COS depending upon the information given in the question.

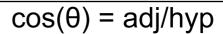
- 7. Find the measure of each angle, to the nearest degree.
 - **b)** $\cos A = 0.6329$
- b) $A = 51^{\circ}$
- **d)** $\cos \theta = 0.3432$
- d) $\theta = 70^{\circ}$
- f) $\cos M = \frac{3}{14}$
- f) M = 78°
- **h)** $\cos \theta = 0.6215$
- h) $\theta = 52^{\circ}$
- i) $\cos X = 0.0193$
- j) X = 89°
- 1) $\cos J = \frac{1}{2}$
- I) J = 60°

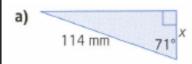
Recall: With some scientific calculators, you press 2nd [TAN-1] 0.5 =

> With others, you press 0.5 (2rd) [TAN-1]

Obviously, TAN could be SIN or COS depending upon the information given in the question.

11. Find the length of x, to the nearest tenth of a unit, by applying the cosine ratio.





13 cm

54

a) cos(71) = x/114

$$114\cos(71) = x$$

37.1 mm = x

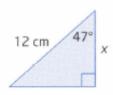
c) $\cos(54) = x/13$

$$13\cos(54) = x$$

7.6 cm = x

e)

c)



- g) 6 cm 18
- e) cos(47) = x/12

 $12\cos(47) = x$

8.2 cm = x

g) $\cos(18) = 6/x$

$$xcos(18) = 6$$

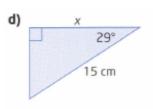
 $x = 6/\cos(18)$

x = 6.3 cm

11. Find the length of *x*, to the nearest tenth of a unit, by applying the cosine ratio.

 $cos(\theta) = adj/hyp$

b) x



$$x\cos(15) = 8.4$$

 $x = 8.4/\cos(15)$
 $x = 8.7$ cm

b) cos(15) = 8.4/x

d)
$$cos(29) = x/15$$

 $15cos(29) = x$
 $13.1 cm = x$

f)
$$cos(35) = 10/x$$

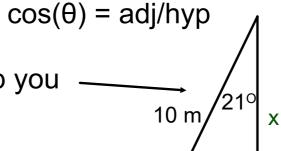
 $xcos(35) = 10$
 $x = 10/cos(35)$
 $x = 12.2 cm$

h)
$$cos(51) = 18/x$$

 $xcos(51) = 18$
 $x = 18/cos(51)$
 $x = 28.6$ cm

 In △XYZ, b) Solving a triangle means to XY = 16 cmYZ = 11 cmfind all the missing information. $\angle Z = 90^{\circ}$ X a) Draw this triangle and label the given $cos(\theta) = adj/hyp$ b) Solve △XYZ. 16 cm a) Χ У 16 cm 11 cm cos(Y) = 11/16< X = 180 - 90 - 4711 cm $Y = \cos^{-1}(11/16)$ $< X = 43^{\circ}$ $Y = 47^{\circ}$ cos(43) = y/16 $16\cos(43) = y$ 11.7 cm = yNote: If you use the Pythagorean theorem to solve for y then you will get 11.6 cm as your answer.

23. The hypotenuse of a right triangle is 10 m long. How long is the side adjacent to the 21° angle, to the nearest tenth of a metre?



Draw a sketch to help you

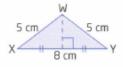
$$cos(21) = x/10$$

 $10cos(21) = x$
 $9.3 m = x$

The side adjacent side to the 21° angle is 9.3 metres long.

25. Find all the angles in △WXY, to the nearest degree.

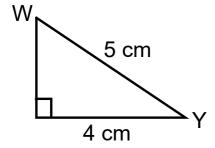
$$cos(\theta) = adj/hyp$$



The triangle is isosceles because WX = WY.

Therefore <X = <Y.

Length XY is split in half by the perpendicular line from W dropping down to the base.



$$cos(Y) = 4/5$$

$$Y = \cos^{-1}(4/5)$$

$$Y = 37^{\circ}$$

Therefore <X = 37° and

$$<$$
W = 180 - 37 - 37 = 106°

The three answers are $\langle X = 37^{\circ}, \langle Y = 37^{\circ}, \text{ and } \langle W = 106^{\circ}.$